Cite this article

Seo SY and Ha H (2019)
Effect of pressure-relief ducts on traction demand in a tunnel: a numerical evaluation.
Proceedings of the Institution of Civil Engineers – Transport **172**(4): 233–245,
<https://doi.org/10.1680/jtran.17.00037>

Research Article

Paper 1700037

Received 12/03/2017;
Accepted 02/11/2017;
Published online 12/12/2017

Keywords: railway systems/transport
management/tunnels & tunnelling

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Transport

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Effect of pressure-relief ducts on traction demand in a tunnel: a numerical evaluation

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High-speed trains are one of the most desirable and environmentally friendly transportation modes, and high-speed rail has been widely implemented in European and Asian countries in order to transport vast quantities of people and commodities rapidly. However, when a high-speed train enters a tunnel, aerodynamic resistance is generated suddenly, which results in higher traction power demand for trains operating in tunnels. It is essential to incorporate pressure-relief systems in tunnels to reduce the aerodynamic resistance caused by passage of a high-speed train. Pressure-relief ducts and vertical shafts are the most commonly used pressure-relief measures in tunnels. The effect of pressure-relief ducts to alleviate the aerodynamic resistance and reduce traction power demand of high-speed trains was thus investigated by means of one-dimensional numerical simulations of various case studies.

Notation

A_{ann}	area of annulus between train and tunnel (m^2)
A_T	free cross-sectional area of tunnel (m^2)
A_z	cross-sectional area of train (m^2)
F_{cooling}	cooling air resistance force (N)
F_{friction}	drag force due to longitudinal friction (N)
F_{lin}	linear resistance force (N)
F_{NT}	drag force due to losses at the nose and tail of the train (N)
F_{rolling}	rolling resistance force (N)
F_T	traction force (N)
f_z	skin friction coefficient
k_N	nose loss coefficient
k_T	tail loss coefficient
L_z	length of train (m)
l_z	perimeter of train (m)
P_T	traction power (W)
v_z	velocity of train (m/s)
v_{ann}^*	velocity of air in annulus relative to train (m/s)
β	blockage ratio
ρ	density of air (kg/m^3)

1. Introduction

The demand for fast and secure travel has produced a need for the planning and construction of underground infrastructure for public transport such as high-speed rail. In order to maintain speed, high-speed trains require a track with larger curvature than that needed for low-speed trains and so tunnels are a major part of high-speed rail infrastructure. A large number of

high-speed railway projects are due for completion by the end of 2025, with a total length of 0.59 million km (Yang *et al.*, 2017).

According to Reinke and Busslinger (2011), large aerodynamic resistance is generated when a train enters a tunnel. With the speeds of trains increasing, aerodynamic effects are becoming very important in the design of both tunnels and trains. Aerodynamic resistance increases dramatically with an increase in train speed (Gawthorpe, 1978), with aerodynamic drag accounting for 85% of the total resistance when train speed increases to 300 km/h (Qun-Zhan, 2010). High aerodynamic resistance acting on a train leads to high energy consumption for train operation and has a negative impact on a train's speed increase (Raghunathan *et al.*, 2002). According to Wood (2003), 16% of the total energy consumed in train operation in the USA is used to overcome aerodynamic drag. Aerodynamics might thus be a determining factor for the size and other design features of high-speed tunnels rather than just the economics of construction.

Several factors are associated with aerodynamic conditions in high-speed railway tunnels. For example, traction power demand should be reduced in the design of locomotives operating in tunnels because a high-speed train running in a tunnel demands much higher traction power than a train running on open track (Henson, 1995). In addition, when a train enters a tunnel, compression and expansion waves are generated in the tunnel (Howe *et al.*, 2000). These rapid pressure changes require that the comfort and health of passengers is guaranteed. Micro-pressure waves can also be generated when a train

enters and exits a tunnel, which can cause a loud noise at tunnel portals (UIC, 2005). In addition, the speed of air flow in a tunnel needs to be limited since high-speed air can put maintenance workers at risk and damage tunnel equipment. Aerodynamic conditions thus need to be carefully considered in the design stage of a tunnel. These aerodynamic conditions become increasingly important for very long tunnels of over 50 km (Reinke and Busslinger, 2011). In addition, tunnels accommodating high-speed trains (i.e. more than 200 km/h) and mixed traffic require strict aerodynamic regulations.

Several measures can be taken to limit these adverse aerodynamic aspects, including speed restrictions on rolling stock, enlargement of tunnel cross-sectional area and the installation of pressure-relief devices. There are also a number of different design concepts for high-speed railway tunnels. In the past, tunnels of short or medium length were designed as single-tube, double-track systems. For long tunnels, twin-tube, single-track systems are commonly adopted. A twin-tube, single-track tunnel might experience more extreme aerodynamic conditions since it has a smaller free cross-sectional area than a single-tube, double-track tunnel. In order to overcome the extreme aerodynamic conditions in long tunnels, various air pressure-relief measures have been developed. These include enlargement of the free cross-sectional area of a tunnel, installation of a vertical shaft, a crossover tunnel in the middle of twin-tube tunnels, pressure-relief ducts connecting twin tubes and so on. According to the International Union of Railways (UIC, 1998), the various methods to reduce aerodynamic resistance in a tunnel include modification of the tunnel geometry and portal shape, installation of a dividing wall between tunnels and the installation of airshafts for pressure relief (UIC, 1998). Vardy and Dayman (1979) found that the maximum air pressure in a tunnel could be reduced by up to 40% by the incorporation of vertical airshafts.

The Channel tunnel is the most famous subsea tunnel and is the longest subsea tunnel in the world, with an overall length of 50 km and an undersea section 38 km long (Fairbairn, 1995). Each tunnel has a diameter of 7.6 m and carries passenger and national freight trains. A service tunnel of diameter 4.8 m lies between the two running tunnels (Southwood, 1994) and the two running tunnels and the service tunnel are connected by cross passages of 3.3 m dia. or 4.8 m dia. every 375 m. Pressure-relief ducts of 2 m diameter are installed every 250 m between the two running tunnels to alleviate air pressure generated by running trains (Gawthorpe and Pope, 1992). These pressure-relief ducts lead to the exchange of air masses between the running tunnels and thus prevent air pressure from increasing (Barthes *et al.*, 1994). The Channel tunnel thus efficiently manages aerodynamic resistance by these pressure-relief ducts.

Using quasi-one-dimensional (1D) numerical simulations, Mossi and Sibilla (2002) analysed the effects of pressure-

relief ducts installed every 5 km between two tunnels under partial vacuum. Their results showed that pressure-relief ducts decrease both the peak pressure resistance in tunnels and the traction power required for train operation.

Many very long high-speed railway tunnels have been, and will be, constructed in South Korea. As already noted, the aerodynamic conditions prevailing in very long tunnels are a major concern and it is thus important to estimate aerodynamic conditions and evaluate techniques to alleviate the air pressure acting on high-speed trains in very long tunnels (Shen, 2012). In the study reported in this paper, the effect of pressure-relief ducts on high-speed trains was evaluated by means of 1D numerical simulations. Detailed specifications of the pressure-relief system, such as the free cross-sectional area and the distance between ducts, were analysed according to the results of the numerical simulations and traction power demands were calculated for a train passing through a tunnel at speeds of 300 km/h and 350 km/h.

2. Traction power demand

Traction power is the power required for the operation of a train. Trains consume power for the operation of various devices such as engines, transformers, air conditioners, pumps and coolers. In order to move and then increase the speed of the train, the required traction power increases significantly in order to overcome resistance against the train's movement. Aerodynamic resistance is thus a significant factor in the power consumption of trains. According to Vardy (1996a, 1996b), aerodynamic drag contributes more than 90% of the total drag on high-speed trains in long tunnels. In addition, the aerodynamic resistance on a train passing through a tunnel leads to significantly higher traction power requirements than a train running on open track and aerodynamic resistance increases with the speed of the train. It is therefore important to estimate the exact traction power required for a train in the design stage.

Traction power is a function of the traction force and the velocity of the train, as defined by (Reinke and Busslinger, 2011)

$$1. \quad P_T = F_T v_z = (F_{\text{air}} + F_{\text{rolling}} + F_{\text{cooling}} + F_{\text{lin}}) v_z$$

in which P_T is the traction power (W), F_T is the traction force (N), v_z is the train velocity (m/s), F_{air} is the aerodynamic drag force (N), F_{rolling} is the rolling resistance force (N), F_{cooling} is the cooling air resistance force (N) and F_{lin} is the linear resistance force (N).

The rolling resistance force, the cooling air resistance force and the linear resistance force are not influenced by a tunnel (Reinke and Busslinger, 2011). However, the aerodynamic drag force changes when a train enters a tunnel from open track because the train faces different aerodynamic conditions in

an open space and in the tunnel. Therefore, the aerodynamic drag force is the major factor in estimating the traction power and is defined by

$$2. \quad F_{\text{air}} = F_{\text{NT}} + F_{\text{friction}}$$

where F_{NT} is the drag force due to losses at the nose and tail of the train (N) and F_{friction} is the drag force due to longitudinal friction (N).

The drag force due to losses at the nose and tail and longitudinal friction can be calculated according to (Reinke and Busslinger, 2011)

$$3. \quad F_{\text{air}} = (k_N + k_T) \frac{1}{2} \rho (v_{\text{ann}}^*)^2 A_T + f_z \frac{1}{2} \rho (v_{\text{ann}}^*)^2 l_z L_z \left(\frac{1}{1 - \beta} \right)$$

where k_N is the nose loss coefficient, k_T is the tail loss coefficient, ρ is the density of air (kg/m^3), v_{ann}^* is the velocity of air in the annulus relative to that of the train (m/s), f_z is the skin friction coefficient, l_z is the perimeter of the train (m), L_z is the length of the train (m), β is the blockage ratio, A_{ann} is the area of annulus between the train and the tunnel (m^2), A_T is the free cross-sectional area of tunnel (m^2) and A_z is the cross-sectional area of the train (m^2).

3. Numerical simulation

When a train enters a tunnel, three-dimensional (3D), unsteady, compressive air flow is generated. Therefore, 3D unsteady equations are required to acquire a correct description of the air flow generated by a train in a tunnel. According to Baron *et al.* (2001), the propagation of air pressure disturbance occurs by means of a plane wave in a tunnel when the length of the tunnel is much larger than the hydraulic diameter of the cross-section of the tunnel. Additionally, the instantaneous distribution of fluid dynamics variables becomes uniform in tunnel sections (Baron *et al.*, 2001). In 3D analyses, 3D features are focused in regions close to the train, tunnel portals and tunnel cross-sections of complex shape (Mossi and Sibilla, 2002). According to Mossi and Sibilla (2002), quasi-1D models can reasonably predict the large-scale behaviour of air flow in a tunnel with a high-speed train passing through, and 1D models that can provide sufficiently accurate explanations of experimental data have been developed (Muelas *et al.*, 2008). Ricco *et al.* (2007) used 1D analysis to simulate air flow due to a high-speed train in a tunnel.

It was therefore considered reasonable to predict the behaviour of air flow in a long tunnel by means of quasi-1D analysis, and numerical simulations using Thermotun software were carried out to estimate the traction power demand of a high-speed train running in a tunnel. Thermotun employs the 1D method of characteristics to calculate the effect of air pressure in a tunnel by solving equations of 1D, unsteady, compressible

flow in tunnel networks (Tarada *et al.*, 2007). The purpose of the numerical simulations carried out in the current study was to estimate traction power demand and investigate how pressure-relief ducts can decrease the traction power demand of a high-speed train. The traction power demand was investigated with respect to various parameters, including train operation in a twin-tube tunnel, train velocity, a change from a twin-tube to a single-tube tunnel, the free cross-sectional area of a tunnel, the space between pressure-relief ducts, the cross-sectional area of the pressure-relief duct and the impact of a single crossover in the middle of a tunnel. The parameters used in the numerical simulations are listed in Table 1. The tunnel parameters were based on the preliminary design for Mokpo–Jeju subsea tunnel in South Korea and the train used in the simulation was based on the KTX-II Sancheon, which is a currently operating high-speed train in South Korea.

3.1 Modelling of the tunnel and train

Quasi-1D numerical simulations were carried out on a railway network with tunnels and pressure-relief ducts. The simulations involved two running tunnels with a cross-sectional area of 60 m^2 and length of $35\,000 \text{ m}$, set 30 m apart from each other. Pressure-relief ducts connected the two tunnels with varying distances ($250\text{--}300 \text{ m}$) between the ducts. Details of the modelling scheme are presented in Figure 1 and summarised in Table 1. As shown in Table 1, the skin friction factor of the tunnel was assumed to be 0.06 and air pressure outside the

Table 1. Parameters used in the numerical simulations

	Value
Train parameters	
Shape of head	Hypothetical
Length, L_{train} : m	201
Cross-sectional area, A_{train} : m^2	9.34
Perimeter, P_{train} : m	11.67
Maximum speed, V_{train} : km/h	350
Time constant of pressure tightness, τ : s	18
Longitudinal friction factor, f_{train}	0.003
Nose and tail loss coefficients	$k_{\text{nose}} = 0.05$, $k_{\text{tail}} = 0.07$
Tunnel parameters	
Length, L_{tun} : m	35 000
Type	Twin-tube, single-track
Cross-sectional area, A_{tun} : m^2	42.59, 57.25
Perimeter, P_{tun} : m	31.5
Tunnel friction factor	0.024
(Darcy–Weisbach definition), λ_{tun}	
Skin friction factor, f_{tun}	0.06
Cross-sectional area of pressure-relief duct, A_{rd} : m^2	0.7, 1, 2, 3.14
Distance between pressure-relief ducts, S_{rd} : m	250, 275, 300
Length of pressure-relief duct, L_{rd} : m	30
Inclination: %	0
Ambient tunnel air, ground, tunnel wall and train wall temperature: $^{\circ}\text{C}$	15
Normal pressure at sea level: Pa	101 300

Figure 1. Modelling of tunnel and train

Figure 2. KTX-II Sancheon train

tunnel was set equal to normal pressure at sea level of 101 300 Pa. The tunnel was horizontal and the ambient temperature and the temperature inside the tunnel and on the tunnel wall was fixed at 15°C.

The geometry and dimensions of the train model were based on the KTX-II Sancheon (Figure 2), a high-speed passenger train developed in South Korea that can reach a cruise speed of 330 km/h. The train model used in the numerical simulations had a hypothetical streamlined head shape, a length of 201 m, a perimeter of 11.67 m and a cross-sectional area of 9.34 m² (Table 1). The pressure tightness coefficient of the train is 18 s according to information from the locomotive manufacturer (Lee *et al.*, 2013). The longitudinal friction factor on the train was set at 0.003, and the nose and tail loss coefficients were 0.05 and 0.07, respectively.

3.2 Simulation cases

To investigate the effects of tunnel pressure-relief ducts, 25 different simulations were carried out (Table 2). In the simulations, one train moved in a single tunnel at a speed of 350 km/h (the Mokpo–Jeju subsea tunnel aims to operate high-speed trains at this speed). The cross-sectional area of the tunnel ranged from 42.59 m² (the cross-sectional area of the Channel tunnel) to 57.25 m² (the preliminary design of the Mokpo–Jeju subsea tunnel). The spacing and

cross-sectional area of pressure-relief ducts is a critical factor that influences both air pressure alleviation and construction costs. In the simulations, the duct spacing was set at 250 m, 275 m or 300 m and the cross-sectional area of the ducts was also varied (0.7, 1, 2 and 3.14 m²). As a reference case, simulation case 25 was for a single tunnel without any pressure-relief ducts.

4. Results

As already mentioned, traction demand is the power required to operate locomotives and it is essential to estimate traction demand in the design stage in order to determine the most appropriate design of pressure-relief systems. The results of the 1D simulations showed that pressure-relief ducts have a significant effect on reducing the traction power demand of high-speed trains in tunnels. The aerodynamic traction power required for train passage through the tunnel was calculated along the distance from the tunnel entrance. As clearly shown in Figure 3, there is a close relationship between traction power demand and the presence of pressure-relief ducts. Aerodynamic traction power demand increased with a decrease in the area of the tunnel or the pressure-relief duct. In addition, the figure reveals that traction power demand was inversely proportional to the distance between the pressure-relief ducts because the number of pressure-relief ducts decreases as the spacing increases. Table 3 shows the average traction power demands as calculated from the 1D numerical simulations.

4.1 Effect of duct cross-sectional area and distance between pressure-relief ducts

Figures 4–15 show the traction power demand for the train's passage through a tunnel of cross-sectional area 42.59 m². Simulation cases 1, 2 and 3 (Figures 4–6) were for a pressure-relief duct cross-sectional area of 0.7 m². In the three cases, the distance between the ducts was set at 250 m, 275 m and 300 m, respectively. Figures 4–6 show that traction demand increased with increasing distance between the pressure-relief ducts because the number of ducts increases as the distance between ducts decreases. For a duct cross-sectional area of 0.7 m², compared with a duct separation of 250 m, the traction power demand increased by 0.5% for a 275 m duct separation and by

Table 2. Details of simulation cases

Parameters	Simulation case																								
	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25
One train upline and one downline (two trains)	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓
One train in single tunnel without relief ducts	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓
$V_{\text{train}} = 350 \text{ km/h}$	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓
$A_{\text{tun}} = 42.59 \text{ m}^2$	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓
$A_{\text{tun}} = 57.25 \text{ m}^2$	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓
$A_{\text{rd}} = 0.7 \text{ m}^2$	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓
$A_{\text{rd}} = 1 \text{ m}^2$	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓
$A_{\text{rd}} = 2 \text{ m}^2$	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓
$A_{\text{rd}} = 3.14 \text{ m}^2$	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓
$S_{\text{rd}} = 250 \text{ m}$	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓
$S_{\text{rd}} = 275 \text{ m}$	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓
$S_{\text{rd}} = 300 \text{ m}$	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓

Figure 3. Aerodynamic traction calculated from numerical simulations

Table 3. Average traction power demand during the passage of train through the tunnel

Simulation case	Average traction power demand: MW	Simulation case	Average traction power demand: MW
1	11.80	13	10.25
2	11.86	14	10.28
3	11.97	15	10.35
4	11.68	16	10.18
5	11.77	17	10.23
6	11.86	18	10.29
7	11.33	19	9.99
8	11.51	20	10.08
9	11.53	21	10.10
10	10.99	22	9.79
11	11.27	23	9.93
12	11.20	24	9.91
		25	11.31

1.4% for a 300 m duct separation. However, the distribution of traction power demand did not change significantly with different duct separations. Similarly, as shown in Figures 7–9, when the cross-sectional area of the duct was 1 m^2 , the traction power demand increased by 0.8% when the duct separation was 275 m and by 1.5% for a duct separation of 300 m. In summary, for a duct cross-sectional area of 0.7 m^2 or 1 m^2 , traction power demand increased by 0.5–1.5% with increasing distance between the ducts. For a duct cross-sectional area of 2 m^2 , traction power demand increased by 1.6% for an increase in duct separation from 250 m to 275 m and increased by 1.8%

Figure 4. Traction power demand (case 1)

Figure 7. Traction power demand (case 4)

Figure 5. Traction power demand (case 2)

Figure 8. Traction power demand (case 5)

Figure 6. Traction power demand (case 3)

when the duct separation was changed from 250 m to 300 m (Figures 10–12). The increase in traction power demand became larger when the cross-sectional area of the duct was 3.14 m^2 (Figures 13–15): the increase in traction power demand increased by 2.5% for an increase in duct separation from 250 m to 275 m and by 1.9% from 250 m to 300 m.

Figures 16–27 show the traction power demand for the train's passage through a tunnel of cross-sectional area 57.25 m^2 . The trends in traction power demand distribution are similar to those for a tunnel cross-sectional area of 42.59 m^2 , with traction power demand increasing as the distance between ducts was increased for the same duct cross-sectional area. As shown in Figures 16 and 17, for a duct

Figure 9. Traction power demand (case 6)

Figure 11. Traction power demand (case 8)

Figure 10. Traction power demand (case 7)

Figure 12. Traction power demand (case 9)

cross-sectional area of 0.7 m^2 , traction power demand increased slightly from 10.25 MW to 10.28 MW when distance between the ducts was changed from 250 m to 275 m . For the same duct area but with an increase in duct separation to 300 m , the traction power demand increased by 1% , from 10.25 MW to 10.35 MW (Figures 16 and 18). For a duct cross-sectional area of 1 m^2 , the traction power demand increased by 0.5% when the duct separation was increased from 250 m to 275 m and by 1.1% for an increase from 250 m to 300 m (Figures 19–21). Similarly, as shown in Figures 22–24, traction power demand increased by 0.9% and 1.1% with increasing distance between the pressure-relief ducts when the duct cross-sectional area was 2 m^2 . For a duct cross-sectional area of 3.14 m^2 (Figures 25–27), the increase in

traction power demand with increasing duct separation distance to 275 m and 300 m was slightly increased, by 1.4% and 1.2% , respectively.

When the distance between the pressure-relief ducts was held constant, traction power demand was inversely proportional to the cross-sectional area of the duct. For a duct separation of 250 m , comparing simulation case 1 ($A_{rd} = 0.7 \text{ m}^2$) and case 4 ($A_{rd} = 1 \text{ m}^2$), the traction power demand decreased from 1.80 MW to 1.68 MW (Figures 4 and 7). Similarly, when the duct separation was 275 m , traction power demand decreased with an increase in duct cross-sectional area from 0.7 m^2 to 1 m^2 , from 11.86 MW to 11.77 MW , respectively, and from 11.97 MW to 11.86 MW when the duct separation was 300 m .

Figure 13. Traction power demand (case 10)

Figure 15. Traction power demand (case 12)

Figure 14. Traction power demand (case 11)

Figure 16. Traction power demand (case 13)

The traction power demand with a constant duct separation also decreased with an increase in duct cross-sectional area from 0.7 m^2 to 2 m^2 : comparing simulation case 1 and case 7 ($S_{rd}=250 \text{ m}$), case 2 and case 8 ($S_{rd}=275 \text{ m}$) and case 3 and case 9 ($S_{rd}=300 \text{ m}$), traction power demands decreased by 4.0%, 3.0% and 3.7%, respectively. With the largest duct cross-sectional area of 3.14 m^2 (cases 10 to 12), the traction power demand reduced by 6.9%, 5.0% and 6.4% compared with comparative cases for the smallest duct cross-sectional area (0.7 m^2).

Cases 1 to 12 were for a tunnel cross-sectional area of 42.59 m^2 whereas simulation cases 13 to 25 were for a tunnel

cross-sectional area of 57.25 m^2 . For the latter tunnel area, as the duct cross-sectional area was changed from 0.7 m^2 to 1 m^2 , the traction power demand decreased by 0.7% for a duct separation of 250 m, by 0.5% for a duct separation of 275 m and by 0.6% for a duct separation of 300 m. According to simulation cases 19 to 21, the decrease in traction power demand slightly increased with increasing duct cross-sectional area from 0.7 m^2 to 2 m^2 . For a change in duct cross-sectional area from 0.7 m^2 to 3.14 m^2 , traction power demand decreased by 4.5% for $S_{rd}=250 \text{ m}$, by 3.4% for $S_{rd}=275 \text{ m}$ and by 4.3% for $S_{rd}=300 \text{ m}$ (simulation cases 22, 23 and 24).

Figure 17. Traction power demand (case 14)

Figure 19. Traction power demand (case 16)

Figure 18. Traction power demand (case 15)

Figure 20. Traction power demand (case 17)

Simulation case 25 was run for a tunnel without any pressure-relief measures. The traction power demand in a single tunnel without a pressure-relief duct was 11.31 MW (Figure 28). Compared with the cases with pressure-relief ducts (cases 13 to 24), it is evident that traction power demand was significantly reduced due to the presence of pressure-relief ducts. Traction power demand decreased by 8.5% when the tunnel was fitted with ducts of area 0.7 m^2 and 300 m spacing. As the free cross-sectional area of a duct increased and the spacing between the ducts decreased, traction power demand was decreased by up to 13.4%, as shown in simulation case 22 for a duct cross-sectional area of 3.14 m^2 and 250 m between the ducts.

4.2 Effect of cross-sectional area of tunnel

As detailed in Table 2, the first 12 simulation cases calculated traction power demand for a tunnel cross-sectional area of 42.59 m^2 and the other 13 cases were for a tunnel cross-section of 59.25 m^2 . In order to investigate the effect of tunnel cross-sectional area on the traction power demand, differences in traction power demands for the same cross-sectional area and duct separation were calculated. The results, shown in Table 4, show that the decrease in traction power demand ranged from 10.9% to 13.5% when the cross-sectional area of the tunnel was increased from 42.59 m^2 to 59.25 m^2 . The change in traction power due to a change in cross-sectional area or duct separation was in the range 0.3–2.5% and the differences between

Figure 21. Traction power demand (case 18)

Figure 23. Traction power demand (case 20)

Figure 22. Traction power demand (case 19)

Figure 24. Traction power demand (case 21)

maximum and minimum traction powers were much smaller than those for a change in tunnel cross-sectional area. In other words, the change in traction power demand was larger when the tunnel cross-sectional area was changed in comparison to when the cross-sectional area and distance between ducts were changed. This implies that it is more effective to increase the cross-sectional area of a tunnel in order to alleviate air pressure and decrease traction power demand. However, increasing the cross-sectional area of a tunnel requires a significant increase in construction investment and there are many restrictions on alignment and tunnel depth when the cross-sectional area of a tunnel is changed. Therefore, it could be more efficient to modify the duct cross-sectional area and the distance between

ducts to achieve efficient traction power demands for the operation of high-speed trains in tunnels.

5. Conclusion

One-dimensional numerical analyses were carried out based on a subsea tunnel under preliminary design in South Korea. The tunnel is being designed as a twin-tube, single-track system for the operation of high-speed trains running at 350 km/h. A number of simulation cases were considered in order to investigate the effect of a pressure-relief system. In total, 25 simulation cases were conducted, considering different values of the free cross-sectional area of the tunnel, the free cross-sectional area of pressure-relief ducts and the distance

Figure 25. Traction power demand (case 22)

Figure 27. Traction power demand (case 24)

Figure 26. Traction power demand (case 23)

Figure 28. Traction power demand (case 25)

between ducts. Traction power demands were calculated and shown to have a very close relationship with the existence of pressure-relief ducts. The following conclusions were drawn from this study.

- The free cross-sectional areas of both the tunnel and the pressure-relief ducts are closely related to the aerodynamic conditions and traction power demand of a train in a tunnel. As the free cross-sectional area of a duct decreases, traction power demand increases because aerodynamic drag and resistance increase with a smaller duct area. In other words, traction power demand is inversely proportional to the free cross-sectional area of pressure-relief ducts for a constant distance between ducts.

Table 4. Effect of tunnel cross-sectional area on traction power demand

Simulation cases	Difference in aerodynamic traction demand: %
Case 1 and case 13	−13.1
Case 2 and case 14	−13.3
Case 3 and case 15	−13.5
Case 4 and case 16	−12.8
Case 5 and case 17	−13.1
Case 6 and case 18	−13.2
Case 7 and case 19	−11.8
Case 8 and case 20	−12.4
Case 9 and case 21	−12.4
Case 10 and case 22	−10.9
Case 11 and case 23	−11.9
Case 12 and case 24	−11.5

- The presence of pressure-relief ducts has a significant influence on reducing the traction power demand of a high-speed train in a tunnel. For the same free cross-sectional area of a duct, the distance between ducts governs the amount of traction power demand. Traction power demand increases as the distance between ducts increases. Thus, traction power demand is proportional to the distance between ducts because the number of ducts installed in a tunnel is inversely proportional to the distance between them.
- The traction power demand decreases significantly with an increase in the free cross-sectional area of the tunnel. Traction power demand could be decreased by 12.5% with an increase in tunnel cross-sectional area from 42.59 m² to 57.25 m². In comparison, traction power demand decreased by just 0.3–2.5% when the distance between the ducts was changed and by 0.3–4.5% when the cross-sectional area of the duct was changed. However, increasing the cross-sectional area of a tunnel requires a significant increase in construction cost. Hence, it could be more efficient to modify the cross-sectional area and distance between ducts in order to achieve the most efficient traction power demand for the operation of high-speed trains in a tunnel.

Further research is needed to validate the results obtained in this study. A 1:50 scale KTX-II train and Mokpo–Jeju subsea tunnel have been built at the Korean Institute of Construction Technology in South Korea. The experimental model includes twin-tube tunnels with detachable pressure-relief ducts, acceleration system, braking system, control and data acquisition system. This physical system was prepared for a research project entitled ‘Development of key subsea tunnelling technology’ and is being used to validate the results of the numerical analyses performed in this study. Physical tests are currently being performed for various test cases and the simulation cases presented in this paper. The results from the physical tests will be thoroughly examined and used to assess the effect of pressure-relief ducts obtained using quasi-1D numerical simulations.

Acknowledgement

This research was supported by a grant (project 15SCIP-B066321-03 (Development of key subsea tunnelling technology)) from the Infrastructure and Transportation Technology Promotion Research Program funded by the Ministry of Land, Infrastructure and Transport of the Korean government.

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